

**SULIT**



**BAHAGIAN PEPERIKSAAN DAN PENILAIAN  
JABATAN PENDIDIKAN POLITEKNIK  
KEMENTERIAN PENDIDIKAN TINGGI**

**JABATAN KEJURUTERAAN MEKANIKAL**

**PEPERIKSAAN AKHIR**

**SESI JUN 2015**

**DJJ 3053: ENGINEERING MECHANICS**

**TARIKH : 04 NOVEMBER 2015  
TEMPOH : 8.30 AM – 10.30 AM (2 JAM)**

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Kertas ini mengandungi **SEMBILAN (9)** halaman bercetak.  
Soalan Struktur ( 4 Soalan ). Jawab **SEMUA** soalan.  
Dokumen sokongan yang disertakan : Formula

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**JANGAN BUKA KERTAS SOALAN INI SEHINGGA DIARAHKAN**

(CLO yang tertera hanya sebagai rujukan)

**SULIT**



**INSTRUCTION:**

This section consists of **FOUR (4)** structured questions. Answer **ALL** questions.

**ARAHAN:**

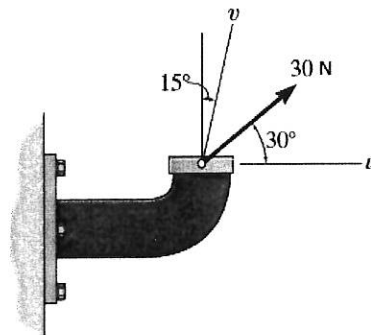
*Bahagian ini mengandungi EMPAT (4) soalan berstruktur. Jawab SEMUA soalan.*

**QUESTION 1****SOALAN 1**

- CLO 1,  
C1 a) Define the terms below;  
*Takrifkan istila-istilah di bawah.*
- i. Static [2 marks]  
*Statik* [2 markah]
- ii. Dynamic [2 marks]  
*Dinamik* [2 markah]
- iii. Third Newton's Law [2 marks]  
*Hukum Newton Ketiga* [2 markah]
- CLO 1,  
C2 b) Resolve the 30 N forces into components along the  $u$  and  $v$  axes as shown in **Figure 1(b)**.  
*Leraikan daya 30 N kepada komponen sepanjang paksi  $u$  dan paksi  $v$  seperti yang ditunjukkan dalam **Rajah 1(b)**.*

[6 marks]

[6 markah]

**Figure 1(b)****Rajah 1(b)**



CLO 1,  
C3

- c) The link in **Figure 1(c)** is subjected to three forces  $F_1$ ,  $F_2$  and  $F_3$ . Determine the magnitude ( $F_R$ ) and direction ( $\theta$ ) of the resultant force. Direction is measured as counterclockwise from the positive x axis. Apply the resultant force as a Cartesian vector.

*Sambungan pada **Rajah 1(c)** dikenakan tiga daya  $F_1$ ,  $F_2$  dan  $F_3$ . Tentukan magnitud ( $F_R$ ) dan arah ( $\theta$ ) daya paduan. Arah daya paduan diukur lawan putaran jam daripada paksi positif  $x$ . Ungkapkan daya paduan dalam bentuk vektor Cartesian.*

[13 marks]

[13 markah]

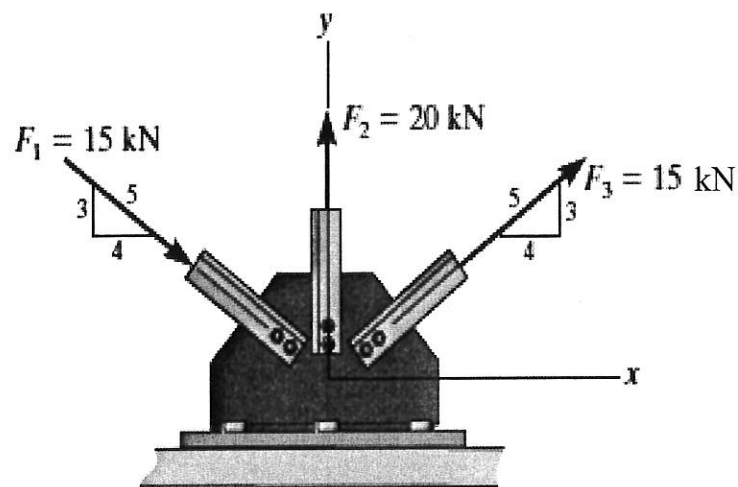


Figure 1(c)

Rajah 1(c)



**QUESTION 2****SOALAN 2**

- CLO 1, a) State the condition for the equilibrium of a particle.  
C1 *Nyatakan keadaan keseimbangan bagi sesuatu zarah.*

[2 marks]

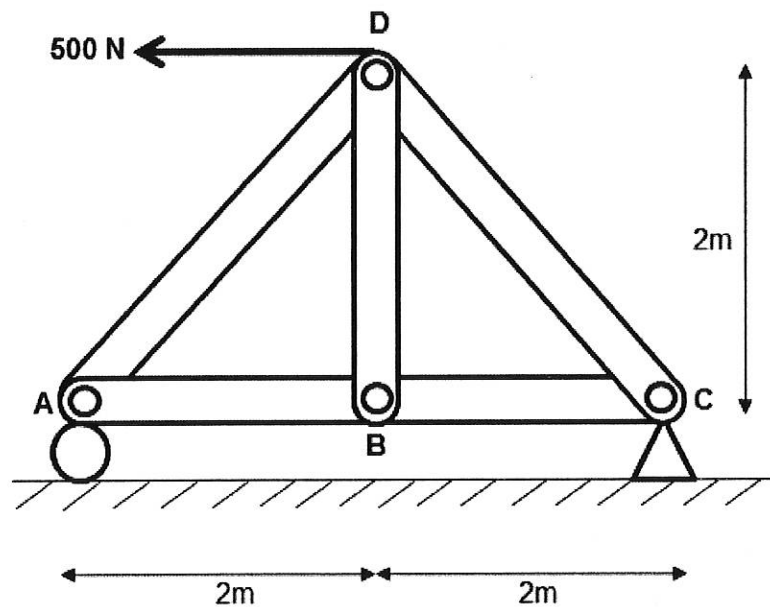
[2 markah]

- CLO 1, b) Describe a plane truss.  
C2 *Huraikan kekuda sesatah.*

[3 marks]

[3 markah]

- c) **Figure 2(c)** shows a truss is subjected to a horizontal force of 500N.  
*Rajah 2(c) menunjukkan satu kekuda dikenakan daya mengufuk 500N.*

**Figure 2(c)***Rajah 2(c)*





CLO 1,  
C3

i. Calculate the force in each member of the truss.

*Hitung daya pada setiap anggota kekuda.*

[16 marks]

[16 markah]

CLO 1,  
C4

ii. Identify whether the members are in tension or compression form.

*Kenalpasti sama ada bahagian kerangka tersebut berada dalam keadaan regangan atau mampatan.*

[4 marks]

[4 markah]



**QUESTION 3****SOALAN 3**CLO 1,  
C1

- a) Define:
- Kinematics
  - Velocity
  - Acceleration

*Takrifkan:*

- Kinematics*
- Velocity*
- Acceleration*

[6 marks]

[6 markah]

CLO 1,  
C2

- b) A ball in **Figure 3(b)** is thrown vertically upward with a speed of 15 m/s. Determine the time of flight when it returns to its original position.

*Sebiji bola seperti pada **Rajah 3(b)** dibaling secara menegak ke atas dengan halaju 15 m/s. Tentukan masa penerbangan apabila ia kembali ke kedudukan asalnya.*

[3 marks]

[3 markah]

**Figure 3(b)****Rajah 3(b)**



CLO 1,  
C3

- c) The motion of a particle is defined by the relation  $x = 1.5t^4 - 30t^2 + 5t + 10$ , where  $x$  and  $t$  are expressed in meters and seconds, respectively. When  $t = 4s$ , determine:
- the position,
  - the velocity,
  - the acceleration of the particle.

*Pergerakan suatu zarah ditakrifkan oleh hubungan  $x = 1.5t^4 - 30t^2 + 5t + 10$ , di mana  $x$  dan  $t$  dinyatakan dalam meter dan saat masing-masing. Apabila  $t = 4s$ , tentukan:*

- kedudukan,*
- halaju,*
- pecutan zarah tersebut*

[8 marks]

[8 markah]

CLO 1,  
C3

- d) A car starts from rest and has an acceleration described by the graph in **Figure 3(d)**. Sketch the  $v$ - $t$  graph for the time interval  $0 \leq t \leq t'$ , where  $t'$  is the time for the car to come to rest.

*Sebuah kereta mula bergerak dari keadaan rehat dan mengalami pecutan digambarkan melalui graf dalam **Rajah 3(d)**. Bentukkan graf  $v$ - $t$  bagi sela masa  $0 \leq t \leq t'$ , di mana  $t'$  merupakan masa bagi kereta tersebut berhenti.*

[8 marks]

[8 markah]

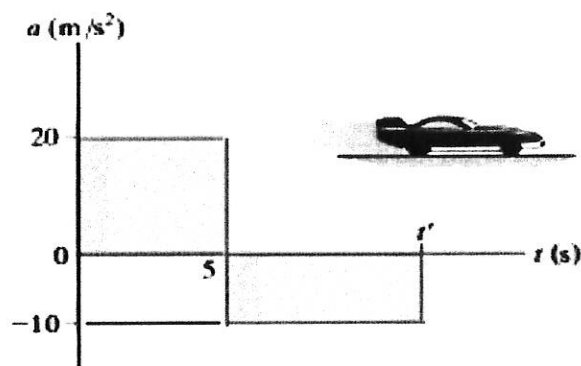


Figure 3(d)

Rajah 3(d)



**QUESTION 4****SOALAN 4**

- CLO 1,  
C1 a) Describe Newton's second law. [4 marks]  
*Terangkan hukum Newton kedua.* [4 markah]
- CLO 1,  
C2 b) A 1500 kg crate is pulled along the ground with a constant speed of a distance for 25m, using a cable that makes a horizontal angle of  $15^\circ$ . Determine the tension in the cable and the work done by this force. The coefficient of kinetic friction between the ground and the crate is  $\mu_k=0.55$ .  
*Sebuah kotak 1500 kg ditarik di atas lantai dengan halaju sekata berjarak 25m, menggunakan kabel yang bersudut  $15^\circ$  mengufuk. Kira daya tegangan kabel tersebut dan kerja yang dilakukan. Pekali geseran kinetik di antara lantai dan kotak ialah  $\mu_k=0.55$ .* [8 marks]  
[8 markah]
- CLO 1,  
C3 c) A man pushes a 60 N crate with a force  $F$ . The force is always directed down at  $30^\circ$  from the horizontal as shown in **Figure 4(c)**, and the magnitude increases until the crate begins to slide. Determine the crate's initial acceleration if the coefficient of static friction is  $\mu_s=0.6$  and the coefficient of kinetic friction is  $\mu_k=0.3$ .  
*Seorang lelaki sedang menolak kotak dengan daya  $F$  60N. Daya yang dikenakan pada sudut  $30^\circ$  pada garisan menufuk seperti **Rajah 4(c)** dan magnitud meningkat sehingga kotak bergelongsor. Tentukan pecutan awal peti itu jika pekali geseran statik adalah  $\mu_s = 0.6$  dan pekali geseran kinetik adalah  $\mu_k = 0.3$ .* [13 marks]  
[13 markah]





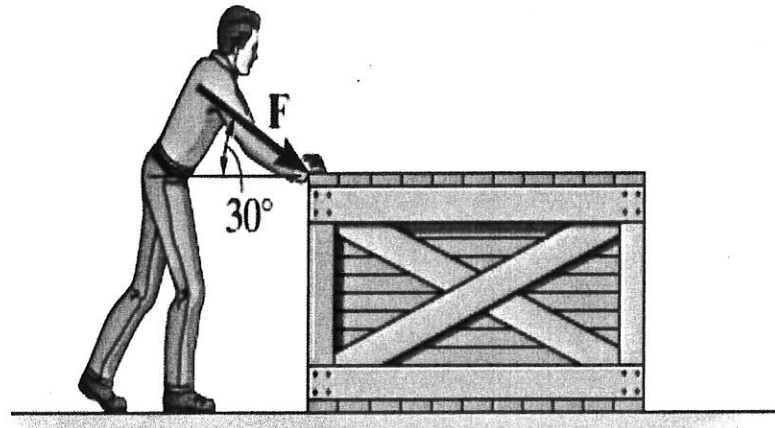


Figure 4(c)

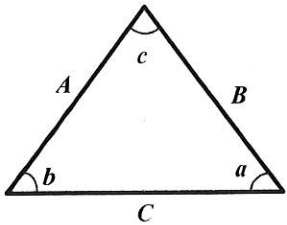
*Rajah 4(c)*

SOALAN TAMAT



LIST OF FORMULA

DJJ3053 – ENGINEERING MECHANICS

<u>STATICS</u>	<u>DYNAMICS</u>
<p>1. TRIANGLE RULE</p> <div style="text-align: center; margin: 10px 0;">  </div> <p>Sine law:</p> $\frac{A}{\sin a} = \frac{B}{\sin b} = \frac{C}{\sin c}$ <p>Cosine law:</p> $C = \sqrt{A^2 + B^2 - 2AB \cos c}$ <p>2. ADDITION OF SYSTEM OF COPLANAR FORCE</p> $(\rightarrow) \Sigma F_x = F_{1x} + F_{2x} - F_{3x}$ $(+\uparrow) \Sigma F_y = F_{1y} - F_{2y} + F_{3y}$ $F_R = \sqrt{(\Sigma F_x)^2 + (\Sigma F_y)^2}$ $\theta = \tan^{-1} \left  \frac{\Sigma F_y}{\Sigma F_x} \right $ <p>3. CARTESIAN VECTOR</p> $\mathbf{A} = A_x \mathbf{i} + A_y \mathbf{j} + A_z \mathbf{k}$ $\mathbf{u}_A = \frac{\mathbf{A}}{A} = \frac{A_x}{A} \mathbf{i} + \frac{A_y}{A} \mathbf{j} + \frac{A_z}{A} \mathbf{k}$ $\cos^2 \alpha + \cos^2 \beta + \cos^2 \gamma = 1$ $\mathbf{F}_R = \Sigma \mathbf{F} = \Sigma F_x \mathbf{i} + \Sigma F_y \mathbf{j} + \Sigma F_z \mathbf{k}$ $\mathbf{r} = (x_B - x_A) \mathbf{i} + (y_B - y_A) \mathbf{j} + (z_B - z_A) \mathbf{k}$ $\mathbf{F} = F \mathbf{u} = F \frac{\mathbf{r}}{r}$ <p>4. EQUILIBRIUM OF PARTICLE</p> $\Sigma \mathbf{F} = 0$ $F = ks$	<p>1. RECTILINEAR MOTION OF PARTICLES</p> $v = dx/dt$ $a = dv/dt$ <p>2. UNIFORM RECTILINEAR MOTION</p> <ul style="list-style-type: none"> <li>- v constant</li> <math display="block">x = x_o + vt</math> <li>- a constant</li> <math display="block">v = v_o + at</math> <math display="block">x = x_o + v_o t + \frac{1}{2} at^2</math> <math display="block">v^2 = v_o^2 + 2a(x - x_o)</math> </ul> <p>3. WORK OF FORCE</p> $U_{1 \rightarrow 2} = (F \cos \alpha) \Delta x$ <p>4. KINETIC ENERGY OF PARTICLE</p> $T = \frac{1}{2} m v^2$ $U_{1 \rightarrow 2} = T_2 - T_1$

